

a typed language for safe and effectful concurrent programs

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MezZo: the defense

This defense:

- some context;
- 2 the design of *Mez*²o;
- 3 the implementation of *Mez*zo.

Some context

In fact, my main conclusion after spending ten years of my life working on the T_EX project is that software is hard.

Don. Knuth

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Don. Knuth, author of TEX

How can we make writing software easier?

A natural idea is to use the computer to verify the absence of certain errors.

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```
# let years_in_phd = 4 in
if years_in_phd = "too long" then
    print_endline "oops";;
Error: The function `=' expects 2 arguments of types ['a]
    and ['a], but it is given 2 arguments of types [int]
    and [string].
```

How can we make writing software easier?

A natural idea is to use the computer to verify the absence of certain errors.

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# let years_in_phd = 4 in
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    print_endline "oops";;
Error: The function `=' expects 2 arguments of types ['a]
    and ['a], but it is given 2 arguments of types [int]
    and [string].
```

The error is identified in advance: the compiler rejects the program.

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Mezzo: the defense

Have you met... type systems?

A type system assigns types to expressions; it makes sure we don't mix **int** and **string**.

The point is to ensure memory safety. Indeed, well-typed programs do not exhibit memory errors.

Type systems are imperfect

The type system can't check everything.

```
# let oc = open_out "/tmp/journal";;
# close_out oc;;
# output_string oc "Dear journal...";;
Exception: Sys_error "Bad file descriptor".
```

The error arises too late: the compiler has accepted the program, yet the program executes, and runs into an error.

Type systems are imperfect

The type system can't check everything.

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# let oc = open_out "/tmp/journal";;
# close_out oc;;
# output_string oc "Dear journal...";;
Exception: Sys_error "Bad file descriptor".
```

The error arises too late: the compiler has accepted the program, yet the program executes, and runs into an error.

There is a rich design space to explore.

It's all about the balance! With great power, comes great complexity. Let's explore the issue.

What kind of type language?

```
let r = ref 0
let uniq =
  fun () ->
  r := !r + 1;
  !r
```

A weak type for uniq is (ML):

 $\mathsf{unit}\to\mathsf{int}$

A strong type for uniq is (proof):

requires: r: ref int ensures: r: ref int \land old(r.contents) + 1 = r.contents \land ret = r.contents *Mez*²*o* is a language with a stronger type system that tries to talk about ownership, hence providing better support for modular reasoning.

What is ownership?

A way to classify what I and others can do with a piece of data.

The kind of issues we want to tackle

- Will this function modify this global, shared reference?
- Can I make sure two threads don't race for the same memory cell?
- Is this list still usable after a function call?
- Is it safe to let the client manipulate my internal list of items?

These questions all revolve around the concept of ownership.

Ownership is crucial, but the type system of ML does not talk about it.

The Mezzo style of typing

```
let r = ref 0
let uniq =
  fun () ->
  r := !r + 1;
  !r
```

The *Mez* type system says uniq has type:

```
(| r @ ref int) \rightarrow int
```

Definitely not your run-of-the-mill ML type system, but not quite program proof either.

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Mezzo: the defense

The Mezzo style of typing (2)

```
let r = ref 0
let uniq =
  fun () ->
    r := !r + 1;
    !r
let x1, x2 = uniq() || uniq()
```

ML says "ok". But there's a race condition, and *Mez* o rejects this program.

In fact, MezZo programs are data-race free!

The present thesis

Main contributions

- A carefully-designed language
- Novel type-theoretic mechanisms
- A matching implementation

Let's jump in!

 $Me_{\mathbb{Z}}$ o has permissions, of the form $x \oplus t$, separated by *.

In ML: $\Gamma = x : t, y : u$ In Me_zzo: P = x @ t * y @ u

val f (x: ...): ... =
 let y = ... in
 ...

Mezzo has permissions, of the form *x* @ *t*, separated by *.

In ML:
$$\Gamma = x : t, y : u$$

In MezZo: $P = x @ t * y @ u$
val f (x: ...): ... =
let y = ... in

 $Me_{\mathbb{Z}}$ o has permissions, of the form $x \oplus t$, separated by *.

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In ML: $\Gamma = x : t, y : u$ In Me_zzo: P = x @ t * y @ u



Different modes for types

	duplicable	exclusive
1	read-only	read-write
others	read-only	_

Depends on the definition of t:

- list int is duplicable because immutable
- ref int is exclusive because mutable

This is a design choice. The user story is simple: mutable = unique, immutable = shared.

Asserts ownership of a fraction of the heap.

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MezZo: the defense

Function may consume ownership of their arguments.

```
val append: [a] (
    consumes xs: list a,
    consumes ys: list a
) -> (zs: list a)
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```

Let's see explain concatenation visually.



Concatenation may be dangerous because it creates sharing. What about:

```
iter_incr xs || iter_incr zs
```

How can we make this safe?

Back to the signature.

```
val append: [a] (
    consumes xs: list a,
    consumes ys: list a
) -> (zs: list a)
```

```
Example: list (ref int).
```

```
let zs = append (xs, ys) in
```







Example: list int.

let zs = append (xs, ys) in


Mezzo: a language with permissions

Example: list int.



Complete example: type-checking append

Permissions

open list

```
val rec append [a] (
  consumes xs: list a,
  consumes ys: list a
): list a =
  match xs with
  | Cons { head = h; tail = t } ->
     let t' = append (t, ys) in
     Cons { head = h; tail = t' }
     | Nil ->
        ys
     end
```

val rec append [a] (consumes xs: list a, consumes ys tist a): list a = match xs with | Cons { head = h; tail = t } -> let t' = append (t, ys) in Cons { head = h; tail = t' } | Nil -> ys end

Permissions

ys @ list a *

xs @ list a

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h @ a * t @ list a
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ys @ list a *
xs @ Cons { head = h; tail = t } *
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t' @ list a
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```
xs @ Cons { head = h; tail = t } *
val rec append [a] (
                                     h @ a * t @ list a
  consumes xs: list a,
                                     t' @ list a
  consumes ys: list a
                                     ret @ Cons {
): list a =
                                       head = h;
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    h @ a *
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    head = h;
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Permissions

ys @ list a *

xs @ Nil

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Permissions

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  end
```

```
ret @ list a *
xs @ Nil *
ret = ys
```

The base layer

Mezzo is definitely not ML

Singleton types x @ (=y): x is y Written as: x = yConstructor types xs @ Cons { head: t; tail: u } (special-case: t is a singleton, we write xs @ Cons { head = ...; tail = ... }) Decomposition via unfolding (named fields), refinement (matching) and folding (subtyping) Several possible types x @ (int, int), x @ **3**(y,z: value). (=y | y @ int, =z | z @ int), x @ 3t.t. etc.

A glance at the type-checking rules

General form: $K, P \vdash e : t$. (K = kinding environment)

Sub

$$K; P_2 \vdash e : t_1$$

$$\frac{P_1 \le P_2 \quad t_1 \le t_2}{K; P_1 \vdash e : t_2}$$
Read

$$t \text{ is duplicable}$$

$$\frac{P \text{ is } x @A \{ \dots; f : t; \dots \}}{K; P \vdash x, f : (t \mid P)}$$

Frame $K; P_1 \vdash e: t$ K; $P_1 * P_2 \vdash e : (t \mid P_2)$

Tuple $K \vdash (x_1, \ldots, x_n) : (=x_1, \ldots, =x_n)$

Application $K: \mathbf{x}_1 \otimes \mathbf{t}_2 \rightarrow \mathbf{t}_1 * \mathbf{x}_2 \otimes \mathbf{t}_2 \vdash \mathbf{x}_1 \mathbf{x}_2 : \mathbf{t}_1$

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A glance at the subsumption relation

DecomposeTuple

$$y @ (..., t, ...)$$

 $\equiv \exists (x : value) (y @ (..., =x, ...) * x @ t)$

EqualsForEqualsEqualityReflexive $(y_1 = y_2) * [y_1/x]P \equiv (y_1 = y_2) * [y_2/x]P$ empty $\leq (x = x)$

Fold

$$\frac{A\{\vec{f}:\vec{t}\} \text{ is an unfolding of } X\vec{T}}{x @A\{\vec{f}:\vec{t}\} \le x @X\vec{T}}$$

Explaining the design choices

Singleton types allow us to keep track of equalities within the type system: unified, regular approach Concrete types a.k.a. "constructor" types implement refinement and state change: new patterns Subsumption is the key ingredient that allows to use any representation interchangeably

The dynamic layer

An example that breaks

We need to represent a graph.

Imagine a DFS. We need to mark (mutable) nodes.

```
data node = mutable Node {
  neighbors: list node;
  seen: bool;
}
data graph = mutable Graph {
  roots: list node;
}
val g: graph =
  let n = Node { neighbors = nil; seen = false } in
  n.neighbors <- cons (n, nil);</pre>
  Graph { neighbors = cons (n, nil) }
```

```
data node = mutable Node {
  neighbors: list node;
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data graph = mutable Graph {
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val g: graph =
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  let neighbors = cons (n, nil) in
  n.neighbors <- neighbors;</pre>
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```

```
data node = mutable Node {
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}
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}
                                             Initial permission
                 n @ Node { neighbors: Nil; seen: bool }
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                                       Fold
                      n @ node
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```
data node = mutable Node {
  neighbors: list node;
  seen: bool:
}
data graph = mutable Graph {
  roots: list node;
}
                                               Error
val g: graph =
                              No field named
  let n = Node { neighbors
                                                     in
                              neighbors for n.
  let neighbors = cons (n,
  n.neighbors <- neighbors;</pre>
  Graph { neighbors = cons (n, nil) }
```

x @ node






















Uniqueness guaranteed via a runtime test

The dynamic solution

```
data mutable node =
  Node {
    contents : int;
    visited : bool;
    neighbors: list dynamic;
  }
data mutable graph =
  Graph {
```

```
roots : list dynamic;
```

```
} adopts node
```

The dynamic solution

```
data mutable node =
                               The dynamic type
  Node {
                         List of pointers with-
    contents : int;
                         out ownership
    visited : bool;
    neighbors: list dynamic;
  }
data mutable graph =
  Graph {
             : list dynamic;
    roots
  } adopts node
```

The dynamic solution

```
data mutable node =
  Node {
    contents : int;
    visited : bool;
    neighbors: list dynamic;
  }
                                     Adoption
                        The graph object owns
data mutable graph
                        the nodes
  Graph {
              : list dynamic:
    roots
  } adopts node
```

```
val g : graph =
  let n = Node {
    contents = 10;
    visited = false;
    neighbors = ();
  } in
  let ns =
    cons [dynamic] (n, nil)
  in
  n.neighbors <- ns;</pre>
  let g = Graph { roots = ns } in
  give n to g;
  g
```

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```
n @ Node {
   contents: int; visited: bool;
   neighbors: ()
```

```
}
```

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```
n @ Node {
   contents: int; visited: bool;
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} *
```

```
n @ dynamic
```

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```

```
n @ Node {
   contents: int; visited: bool;
   neighbors: ()
} *
n @ dynamic *
ns @ list dynamic
```

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Permissions
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  let ns =
    cons [dynamic] (n, nil)
  in
  n.neighbors <- ns;</pre>
wet g = Graph { roots = ns } in
 give n to g;
  g
```

```
Permissions
n @ Node {
   contents: int; visited: bool;
   neighbors: list dynamic
} *
n @ dynamic *
ns @ list dynamic *
g @ graph
```

```
val g : graph =
  let n = Node {
    contents = 10;
    visited = false;
    neighbors = ();
 } in
  let ns =
    cons [dynamic] (n, nil)
  in
  n.neighbors <- ns;</pre>
/et g = Graph { roots = ns } in
 give n to g;
  g
```

n @ node * n @ dynamic * ns @ list dynamic * g @ graph

```
val g : graph =
  let n = Node {
    contents = 10;
    visited = false;
    neighbors = ();
 } in
  let ns =
    cons [dynamic] (n, nil)
  in
  n.neighbors <- ns;</pre>
/et g = Graph { roots = ns } in
 give n to g;
  g
```

- **n @ node** * n @ dynamic *
- ns @ list dynamic *

g @ graph

```
val g : graph =
  let n = Node {
    contents = 10;
    visited = false;
    neighbors = ();
  } in
  let ns =
    cons [dynamic] (n, nil)
  in
  n.neighbors <- ns;
  let g = Graph { roots = ns } in
  give n to g;
  g
```

n @ node *
n @ dynamic *
ns @ list dynamic *
g @ graph

```
val g : graph =
  let n = Node {
    contents = 10;
    visited = false;
    neighbors = ();
  } in
  let ns =
    cons [dynamic] (n, nil)
  in
  n.neighbors <- ns;</pre>
  let g = Graph { roots = ns } in
  give n to g;
  g
```

n @ node *
n @ dynamic *
ns @ list dynamic *
g @ graph

A glance at the typing rules

x = adoptee, y = adopter

Give	Take
t_2 adopts t_1	t_2 adopts t_1
<i>K</i> ; <i>x</i> @ <i>t</i> ₁ ∗ <i>y</i> @ <i>t</i> ₂ ⊢	<i>K</i> ; <i>x</i> @ dynamic ∗ <i>y</i> @ t ₂ ⊢
give x to $y : (y @ t_2)$	take x from $y : (x @ t_1 * y @ t_2)$

Reflecting on the design of adoption/abandon



Adoption/abandon is another essential contribution of MezZo.

Looking back on adoption/abandon

This mechanism bridges the static and dynamic disciplines.

It allows one to take two elements out at the same time.

It provides a built-in, efficient mechanism for fulfilling the proof obligation $x_1 = x_2$ using a run-time test.

The implementation of adoption/abandon

Each object in the heap has a hidden field. Each adoptee maintains the address of its adopter in the hidden field.

give x to y writes the address of y in the hidden field of x
take x from y compares the address of y with the hidden
field of x; if match, writes NULL in the hidden
field of x

Looking back on adoption/abandon (2)

This may seem simple; the final version is the product of many iterations and many attempts.

One advantage: the name of the adopter serves as the name of the conceptual region for the adoptees. (Usability!)

The proof of soundness guarantees that adoption/abandon is safe (F. Pottier).

Type-checking Mezzo

A glance at the subsumption relation (2)

ForallElim $\forall (X:\kappa) P \leq [T/X]P$ $\frac{CopyDup}{P \text{ is duplicable}} \\ \frac{P[t] * P \leq C[(t \mid P)] * P}{C[t] * P \leq C[(t \mid P)] * P}$

HideDuplicablePrecondition <i>P</i> is duplicable	ExistsIntro
$(\boldsymbol{x} @ (\boldsymbol{t}_1 \mid \boldsymbol{P}) \rightarrow \boldsymbol{t}_2) * \boldsymbol{P} \leq \boldsymbol{x} @ \boldsymbol{t}_1$	$\overline{} \rightarrow t_2 \qquad [I/\Lambda]P \leq \exists (\Lambda:\kappa)P$
	Unfold
CoArrow	A $\{\vec{f}:\vec{t}\}$ is an unfolding of $X \vec{T}$
$oldsymbol{u}_1 \leq oldsymbol{t}_1 \qquad oldsymbol{t}_2 \leq oldsymbol{u}_2$	$X \vec{T}$ has only one branch
$\overline{x @ t_1 ightarrow t_2 \leq x @ u_1 ightarrow u_2}$	$\overline{x @ X \vec{T} \leq x @ A \{ \vec{f} : \vec{t} \}}$
A suitable representation of permissions

Mezzo is a powerful language: the type-checker is complex, because of the interaction between:

- duplicable vs. non-duplicable permissions,
- equivalent permissions:

z @ (=x, =y) * x @ ref int * y @ ref int ≡

z @ (ref int, ref int),

- inference (of type application): cons [?] (x, y),
- subtyping:

[a] duplicable a => (ref a) -> a \equiv

- [y: value] (ref (=y)) -> (=y),
- the frame rule...

A procedure for rewriting a permission into a normal form. In essence:

- permissions are maximally expanded (+ one-branch, functions),
- existential quantifiers are opened as rigid variables,
- redundant conjunctions are simplified,
- nested permissions are flattened.

Normalization rules can be applied in any order. They operate on the current permission, that is, the hypothesis.

Normalization rules *decompose* non-atomic permissions into atomic constructs. That is, they decompose positive connectives which are left-invertible.

These are standard proof search techniques.

Type-checking vs. logic

Mez^zo remains a type system.

- far less connectives and rules
- f@t → u * x@t ≤ ∃(y : value) y@u (no implicitly callable ghost functions)
- no built-in disjunction (only tagged sums)

*Mez*Zo's type system feels like a limited fragment of intuitionistic logic.

The main type-checking algorithm

- A forward, flow-sensitive algorithm.
- Threads a normalized permission through program points.
- Relies on two algorithms: subtraction (deciding subtyping) and merge (simplifying disjunctions)

Subtraction: an unusual algorithm

- Subtyping needs to be decided for function calls and for function bodies.
- Blurs the frontier between type-checking and logics.
- The subtyping algorithm has to perform inference

More about subtraction

The operation is written P - Q = R.



This means:

"with the instantiation choices from \mathcal{V}' , we get $P \leq Q * R$ ".

Subtraction example

 $\mathcal R$ denotes rigidly-bound variables.

 $\mathcal{R}(\ell, h, t).$ $\ell @ \text{Cons} \{\text{head} = h; \text{tail} = t\} *$ h @ ref int * t @ list (ref int) - $\ell @ \text{list} (\text{ref int})$ = $\mathcal{R}(\ell, h, t).$ $\ell @ \text{Cons} \{\text{head} = h; \text{tail} = t\}$

Backtracking

Inference uses *flexible* (\mathcal{F}) variables.

There may be several solutions:

$$\mathcal{R}(\mathbf{x}), \mathcal{F}(\alpha).(\mathbf{x} \otimes \mathsf{int} - \mathbf{x} \otimes \alpha) = \begin{cases} \mathcal{R}(\mathbf{x})\mathcal{F}(\alpha = \mathsf{int}) \\ \mathcal{R}(\mathbf{x})\mathcal{F}(\alpha = \mathbf{x}) \\ \mathcal{R}(\mathbf{x})\mathcal{F}(\alpha = \mathsf{unknown}) \end{cases} \mathbf{x} \otimes \mathsf{int}$$

Not all solutions are explored: α could be $(\beta | p)$.

Plus, there are other backtracking points (quantifiers).

The prototype

Backtracking stops at the expression level: we keep one solution when type-checking an expression.

The implementation relies on:

- efficient (good complexity) and easy-to-use (persistent) data structures for inference with backtracking (union-find, levels)
- fine-tuned heuristics (prioritize more likely solutions first) Both required significant effort.

Other type-checking difficulties

data t = mutable T



The merge problem arises when type-checking disjunctions (if-then-else, match).

- Combination of where to assign non-duplicable data, subtyping, graph reconstruction.
- Does not always admit a principal solution.
- Graph-based algorithm gives good results in practice.

The merge operation is less of a problem than inference difficulties.

Looking back on Mezzo

What we've learned

- Ownership as an atomic, fundamental concept.
- Power of a unified approach.
- Importance of the surface language.
- Key ingredient: the adoption/abandon approach.
- Role of examples.

Going further

- Restrict the expressivity of the system (results/usability).
- Re-use the "pluggable" approach idea (static or dynamic).
- Extra mechanisms for common programming patterns.
- Make the system gradual for better interoperability and conversion.
- Mezzo as an extension of ML (refinement types?)



The end.

Online demo!

http://gallium.inria.fr/~protzenk/mezzo-web/

Detecting race-conditions

```
Buggy code:
val r = newref 0
val print uniq (| r @ ref int): () =
    r := !r + 1:
    print !r
val =
  thread::spawn print uniq;
  thread::spawn print unig;
Result:
Here's a tentatively short, potentially misleading error message
File "/tmp/test.mz", line 7, characters 16-26:
  thread::spawn print uniq;
                ~~~~~~~
Could not obtain the following permission:
  r @ ref::ref int::int
```

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Detecting race-conditions (2)

Fixed code:

```
val r = newref 0
val l: lock::lock (r @ ref int) = lock::new ()
val print_uniq (): () =
    lock::acquire l;
    r := !r + 1;
    print !r;
    lock::release l
val _ =
    thread::spawn print_uniq;
    thread::spawn print_uniq;
```

DFS (in surface syntax)

```
(* Assumes all the nodes in the graph are set to [false]. *)
val traverse (g: graph): () =
  let rec visit (n: dynamic | g @ graph): () =
    take n from q;
    if n.seen then
      (* The node has been visited alreadv *)
      qive n to q
    else begin
      (* The node has not been visited yet. *)
      let neighbors = n.neighbors in
      (* Mark it as visited. *)
      n.seen <- true:
      (* We keep a copy of [children] (list dynamic is duplicable). *)
      aive n to a:
      (* Recursively visit the children. *)
      list::iter (neighbors, visit)
    end
  in
  (* Visit each of the roots. *)
  iter (q.roots, visit)
```

Tail-recursive concatenation

```
data mutable xlist a =
  | XNil
  XCons { head: a; tail: () }
alias xcons a =
    XCons { head: a; tail: () }
val rec appendAux [a] (consumes (dst: xcons a, xs: list a, ys: list a))
: (| dst @ list a)
  =
 match xs with
  Cons ->
      let dst' = XCons { head = xs.head; tail = () } in
      freeze (dst, dst');
      appendAux (dst', xs.tail, ys)
  | Nil ->
      freeze (dst, ys)
 end
```

Tail-recursive concatenation (2)

```
val append [a] (consumes (xs: list a, ys: list a)) : list a =
match xs with
| Cons ->
    let dst = XCons { head = xs.head; tail = () } in
    appendAux (dst, xs.tail, ys);
    dst
| Nil ->
    ys
end
```